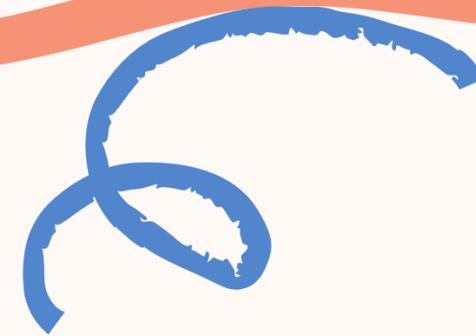
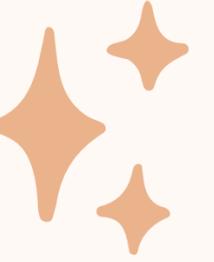
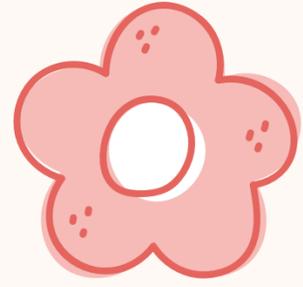


# هيكل الفيزياء ( الورقي )



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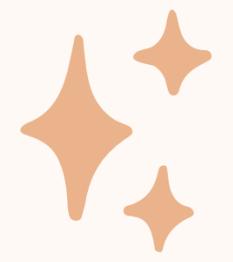
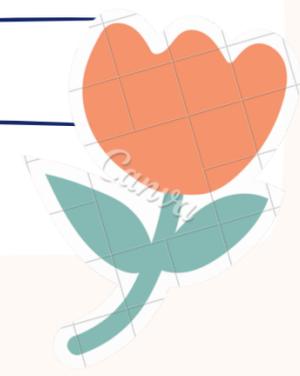




Relate the arc length ( $x$ ) to the angular displacement ( $\theta$ ) and the distance ( $r$ ) from the axis of rotation, relate the linear velocity ( $v$ ) to the angular velocity ( $\omega$ ) and the distance ( $r$ ) from the axis of rotation, and relate the linear acceleration ( $a$ ) to the angular acceleration ( $\alpha$ ) and the distance ( $r$ ) from the axis of rotation.

**Table 1** Linear and Angular Measures

| Quantity     | Linear                  | Angular                        | Relationship  |
|--------------|-------------------------|--------------------------------|---------------|
| Displacement | $x$ (m)                 | $\theta$ (rad)                 | $x = r\theta$ |
| Velocity     | $v$ (m/s)               | $\omega$ (rad/s)               | $v = r\omega$ |
| Acceleration | $a$ (m/s <sup>2</sup> ) | $\alpha$ (rad/s <sup>2</sup> ) | $a = r\alpha$ |





Relate the arc length ( $x$ ) to the angular displacement ( $\theta$ ) and the distance ( $r$ ) from the axis of rotation, relate the linear velocity ( $v$ ) to the angular velocity ( $\omega$ ) and the distance ( $r$ ) from the axis of rotation, and relate the linear acceleration ( $a$ ) to the angular acceleration ( $\alpha$ ) and the distance ( $r$ ) from the axis of rotation

- The distance ( $x$ ) is measured in meters in this equation:  $x = r\theta$  .
- If the angular velocity of a body is ( $\omega$ ) .. the linear velocity of a point located at a distance  $r$  from the axis of rotation is found by the relationship  $v = r\omega$  .
- If the change in angular velocity is positive + , then the angular acceleration is also positive + .
- The angular acceleration determined in this way is equal to the angular velocity over the time period ( $t$ ) .
- The linear acceleration ( $a$ ) of a point is found at a distance ( $r$ ) from the axis of a body equal to its angular acceleration ( $\alpha$ ) ..  $a = r\alpha$  .

<https://t.me/115in11>



Apply the relationship between a force  $F$  and the work done on a system by the force when the system undergoes a displacement  $d$ :  
 $W = Fd \cos\theta$  where  $\theta$  is the angle between the direction of the force and the direction of displacement.

<https://t.me/115in11>



Relate the centripetal acceleration and the speed of an object in uniform circular motion to its period of revolution and use this relation to find unknown parameters

$$v = \frac{2\pi r}{T} \quad a_c = \frac{(2\pi r/T)^2}{r} = \frac{4\pi^2 r}{T^2}$$



### EXAMPLE 3

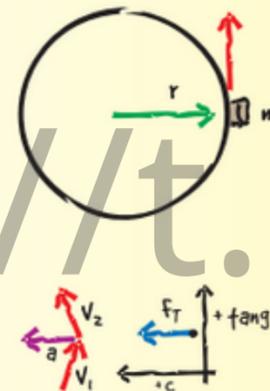
**UNIFORM CIRCULAR MOTION** A 13 g rubber stopper is attached to a 0.93 m string. The stopper is swung in a horizontal circle, making one revolution in 1.18 s. Find the magnitude of the tension force exerted by the string on the stopper.

#### 1 ANALYZE AND SKETCH THE PROBLEM

- Draw a free-body diagram for the swinging stopper.
- Include the radius and the direction of motion.
- Establish a coordinate system labeled *tang* and *c*. The directions of  $a_c$  and  $F_T$  are parallel to *c*.

**KNOWN**  
 $m = 13 \text{ g}$   
 $r = 0.93 \text{ m}$   
 $T = 1.18 \text{ s}$

**UNKNOWN**  
 $F_T = ?$



#### 2 SOLVE FOR THE UNKNOWN

Find the magnitude of the centripetal acceleration.

$$a_c = \frac{4\pi^2 r}{T^2} = \frac{4\pi^2(0.93 \text{ m})}{(1.18 \text{ s})^2} = 26 \text{ m/s}^2$$

◀ Substitute  $r = 0.93 \text{ m}$ ,  $T = 1.18 \text{ s}$ .

Use Newton's second law to find the magnitude of the tension in the string.

$$F_T = ma_c = (0.013 \text{ kg})(26 \text{ m/s}^2) = 0.34 \text{ N}$$

◀ Substitute  $m = 0.013 \text{ kg}$ ,  $a_c = 26 \text{ m/s}^2$ .

#### 3 EVALUATE THE ANSWER

- **Are the units correct?** Dimensional analysis verifies that  $a_c$  is in meters per second squared and  $F_T$  is in newtons.
- **Do the signs make sense?** The signs should all be positive.
- **Are the magnitudes realistic?** The force is almost three times the weight of the stopper, and the acceleration is almost three times that of gravity, which is reasonable for such a light object.

2- Find the centripetal acceleration to find the force .

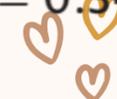
$$a_c = \frac{4\pi^2 r}{T^2} = \frac{4\pi^2(0.93 \text{ m})}{(1.18 \text{ s})^2} = 26 \text{ m/s}^2$$

1- Find the data

$m : 13 \text{ g}$   
 $r : 0.93 \text{ m}$   
 $T : 1.18 \text{ s}$   
 $F = ? \text{ N}$

3- Find the tensile strength .

$$F_T = ma_c = (0.013 \text{ kg})(26 \text{ m/s}^2) = 0.34 \text{ N}$$





## Example applications 3

| المعطيات              | المطلوب | القانون               | الحل                   |
|-----------------------|---------|-----------------------|------------------------|
| $v = 8.8 \text{ m/s}$ | $a_c$   | $a_c = \frac{v^2}{r}$ | $a_c = \frac{8^2}{25}$ |
| $r = 25 \text{ m}$    |         |                       | $a_c = 2.6$            |

**12.** A runner moving at a speed of 8.8 m/s rounds a bend with a radius of 25 m. What is the centripetal acceleration of the runner, and what agent exerts the centripetal force on the runner?

| المعطيات                | المطلوب            | القانون               | الحل   |
|-------------------------|--------------------|-----------------------|--|
| $v = 201 \text{ m/s}$   | $r = ? \text{ km}$ | $a_c = \frac{v^2}{r}$ | $5 = \frac{201^2}{r}$                          |
| $a_c = 5 \text{ m/s}^2$ |                    |                       | $r = 8080.2 / 1000$<br>$r = 8.0802 \text{ km}$ |

**13.** An airplane traveling at 201 m/s makes a turn. What is the smallest radius of the circular path (in kilometers) the pilot can make and keep the centripetal acceleration under  $5.0 \text{ m/s}^2$ ?



# Example applications 3

| الحل                                   | القانون                  | المطلوب | المعطيات |
|--|--------------------------|---------|----------|
| $a_c = \frac{4.1^2}{6.3}$              | $a_c = \frac{v^2}{r}$    | F       | m = 45kg |
| $a_c = 2.7$                            | $F_{\text{محطة}} = ma_c$ |         | r = 6.3m |
| F = 45 x 2.7<br>F <sub>c</sub> = 121.5 |                          |         | v = 4.1  |

**14.** A 45 kg merry-go-round worker stands on the ride's platform 6.3 m from the center, as shown in **Figure 11**. If her speed ( $v_{\text{worker}}$ ) as she goes around the circle is 4.1 m/s, what is the force of friction ( $F_f$ ) necessary to keep her from falling off the platform

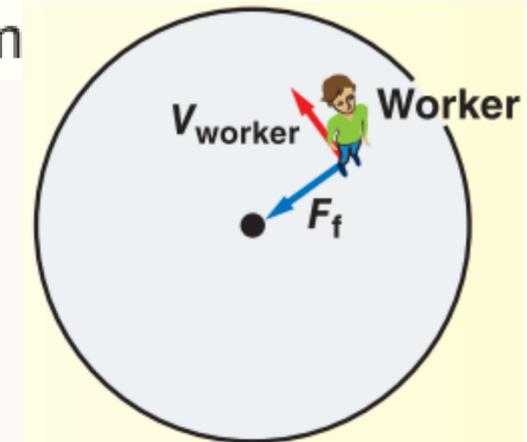


Figure 11

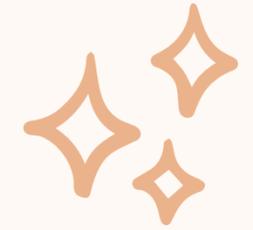
| الحل                                     | القانون                      | المطلوب        | المعطيات     |
|--|------------------------------|----------------|--------------|
| $a_c = \frac{4\pi^2 \times 1.4}{1.09^2}$ | $a_c = \frac{4\pi^2 r}{T^2}$ | F <sub>c</sub> | m = 0.016 kg |
| $a_c = 46.5$                             | $F_{\text{محطة}} = ma_c$     |                | r = 1.4m     |
|  |                              |                | T = 1.09s    |

**15.** A 16 g ball at the end of a 1.4 m string is swung in a horizontal circle. It revolves once every 1.09 s. What is the magnitude of the string's tension?





Calculate the net torque when more than one torque acts on a body about a rotation axis .



1- Find the data

$$\tau: 35\text{N}\cdot\text{m}$$

$$r: 0.25\text{m}$$

$$\theta: 60.0$$

$$L = ?$$

$$F = ?$$

2- Find the length of the force arm (L)

$$\begin{aligned} L &= r \sin \theta \\ &= (0.25 \text{ m})(\sin 60.0^\circ) \\ &= 0.22 \text{ m} \end{aligned}$$

3- Find the magnitude of the force (F)

$$\tau = Fr \sin \theta$$

$$35 = X \times 0.25 \times \sin(60)$$

shift solve ==

$$F = 1.6 \times 10^2 \text{ N}$$

### EXAMPLE 1

**LEVER ARM** A bolt on a car engine must be tightened with a torque of  $35 \text{ N}\cdot\text{m}$ . You use a  $25 \text{ cm}$ -long wrench and pull the end of the wrench at an angle of  $60.0^\circ$  to the handle of the wrench. How long is the lever arm, and how much force must you exert?

#### 1 ANALYZE AND SKETCH THE PROBLEM

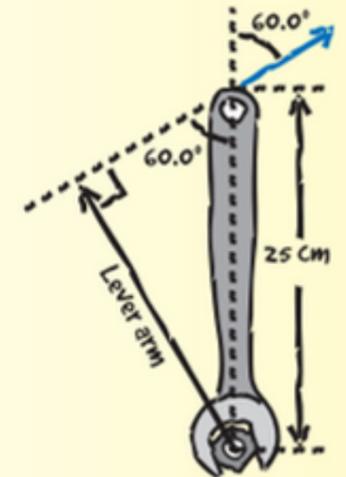
Sketch the situation. Find the lever arm by extending the force vector backward until a line that is perpendicular to it intersects the axis of rotation.

##### KNOWN

$$\begin{aligned} r &= 0.25 \text{ m} & \tau &= 35 \text{ N}\cdot\text{m} \\ \theta &= 60.0^\circ \end{aligned}$$

##### UNKNOWN

$$\begin{aligned} L &= ? \\ F &= ? \end{aligned}$$



#### 2 SOLVE FOR THE UNKNOWN

Solve for the length of the lever arm.

$$\begin{aligned} L &= r \sin \theta \\ &= (0.25 \text{ m})(\sin 60.0^\circ) \\ &= 0.22 \text{ m} \end{aligned}$$

◀ Substitute  $r = 0.25 \text{ m}$  and  $\theta = 60.0^\circ$  into the equation. Then, solve the equation.

Solve for the force.

$$\begin{aligned} \tau &= Fr \sin \theta \\ F &= \frac{\tau}{r \sin \theta} \\ &= \frac{(35 \text{ N}\cdot\text{m})}{(0.25 \text{ m})(\sin 60.0^\circ)} \\ &= 1.6 \times 10^2 \text{ N} \end{aligned}$$

◀ Substitute  $\tau = 35 \text{ N}\cdot\text{m}$ ,  $r = 0.25 \text{ m}$ , and  $\theta = 60.0^\circ$  into the equation.

◀ Then, solve the equation. Remember to use significant digits.

#### 3 EVALUATE THE ANSWER

- Are the units correct? Force is measured in newtons.
- Does the sign make sense? Only the magnitude of the force needed to rotate the wrench clockwise is calculated.

# Calculate the speed and orbital period of the satellite.

1- Find the data

h Height: 225 km .

$m_E$  Earth's mass: 5.97 times  $10^{24}$ .

$r_E$  the radius of the Earth: 6.38 times  $10^6$ .

$v$  : ?

$T$  : ?

2- Find the orbital radius

$$r = r_E + h$$

$$r = 6.38 \times 10^6 + 225 \times 10^3$$

$$r = 6.60 \times 10^6$$

4- Find the periodic time (T)    3- Find the orbital (v)

$$T = 2\pi \sqrt{\frac{r^3}{Gm_E}}$$

$$= 2\pi \sqrt{\frac{(6.60 \times 10^6 \text{ m})^3}{(6.67 \times 10^{-11} \text{ N}\cdot\text{m}^2/\text{kg}^2)(5.97 \times 10^{24} \text{ kg})}}$$

$$= 5.34 \times 10^3 \text{ s}$$

يساوي تقريبًا 89 min أو 1.5 h

$$v = \sqrt{\frac{Gm_E}{r}}$$

$$= \sqrt{\frac{(6.67 \times 10^{-11} \text{ N}\cdot\text{m}^2/\text{kg}^2)(5.97 \times 10^{24} \text{ kg})}{6.60 \times 10^6 \text{ m}}}$$

$$= 7.77 \times 10^3 \text{ m/s}$$

**ORBITAL SPEED AND PERIOD** Assume that a satellite orbits Earth 225 km above its surface. Given that the mass of Earth is  $5.97 \times 10^{24}$  kg and the radius of Earth is  $6.38 \times 10^6$  m, what are the satellite's orbital speed and period?

## 1 ANALYZE AND SKETCH THE PROBLEM

Sketch the situation showing the height of the satellite's orbit.

**KNOWN**

$$h = 2.25 \times 10^5 \text{ m}$$

$$r_E = 6.38 \times 10^6 \text{ m}$$

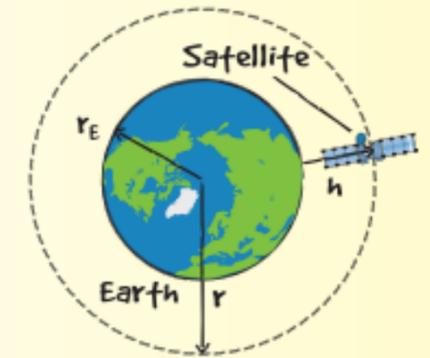
$$m_E = 5.97 \times 10^{24} \text{ kg}$$

$$G = 6.67 \times 10^{-11} \text{ N}\cdot\text{m}^2/\text{kg}^2$$

**UNKNOWN**

$$v = ?$$

$$T = ?$$



## 2 SOLVE FOR ORBITAL SPEED AND PERIOD

Determine the orbital radius by adding the height of the satellite's orbit to Earth's radius.

$$r = h + r_E$$

$$= 2.25 \times 10^5 \text{ m} + 6.38 \times 10^6 \text{ m} = 6.60 \times 10^6 \text{ m}$$

◀ Substitute  $h = 2.25 \times 10^5 \text{ m}$  and  $r_E = 6.38 \times 10^6 \text{ m}$ .

Solve for the speed.

$$v = \sqrt{\frac{Gm_E}{r}}$$

$$= \sqrt{\frac{(6.67 \times 10^{-11} \text{ N}\cdot\text{m}^2/\text{kg}^2)(5.97 \times 10^{24} \text{ kg})}{6.60 \times 10^6 \text{ m}}}$$

$$= 7.77 \times 10^3 \text{ m/s}$$

◀ Substitute  $G = 6.67 \times 10^{-11} \text{ N}\cdot\text{m}^2/\text{kg}^2$ ,  $m_E = 5.97 \times 10^{24} \text{ kg}$ , and  $r = 6.60 \times 10^6 \text{ m}$ .

Solve for the period.

$$T = 2\pi \sqrt{\frac{r^3}{Gm_E}}$$

$$= 2\pi \sqrt{\frac{(6.60 \times 10^6 \text{ m})^3}{(6.67 \times 10^{-11} \text{ N}\cdot\text{m}^2/\text{kg}^2)(5.97 \times 10^{24} \text{ kg})}}$$

$$= 5.34 \times 10^3 \text{ s}$$

◀ Substitute  $r = 6.60 \times 10^6 \text{ m}$ ,  $G = 6.67 \times 10^{-11} \text{ N}\cdot\text{m}^2/\text{kg}^2$ , and  $m_E = 5.97 \times 10^{24} \text{ kg}$ .

This is approximately 89 min, or 1.5 h.

## 3 EVALUATE THE ANSWER

**Are the units correct?** The unit for speed is meters per second, and the unit for period is seconds.

Solve problems related to rotational variables .

### السؤال 4 - صفحة 59 .

4. The truck in the previous problem is towing a trailer with wheels that have a diameter of 48 cm.
- a. How does the linear acceleration of the trailer compare with that of the truck?

٤- إذا كانت الشاحنة التي في السؤال السابق تسحب قاطرة قطر كل من إطاراتها 48cm قارن بين :

- (a) التسارع الخطي للقاطرة والتسارع الخطي للشاحنة .  
(b) التسارع الزاوي للقاطرة والتسارع الزاوي للشاحنة .

a

التسارع الخطي للقاطرة = التسارع الخطي للشاحنة لا علاقة له بقطر الاطارات بل بالسرعة الخطية والزمن

b

شاحنة

$$\alpha_1 = 5.23 \text{ rad/s}^2$$

قاطرة

$$\alpha_2 = \frac{a}{r_2} = \frac{1.85 \text{ m/s}^2}{0.24 \text{ m}} = 7.7 \text{ rad/s}^2$$

$$r_2 = \frac{0.48 \text{ m}}{2} = 0.24 \text{ m}$$

$$r_1 = 0.708 \text{ m}$$

$$r_2 = 0.24 \text{ m}$$

بما أن نصف قطر إطار القاطرة أقل من نصف قطر الشاحنة والتناسب بين نصف القطر والتسارع الزاوي عكسي إذا سوف يكون التسارع الزاوي للقاطرة أكبر منه للشاحنة .

### Question 3 - Page 59.

3. If a truck has a linear acceleration of  $1.85 \text{ m/s}^2$  and the wheels have an angular acceleration of  $5.23 \text{ rad/s}^2$ , what is the diameter of the truck's wheels?

$$a = 1.85 \quad \alpha = 5.23$$

$$d = ?$$

$$a = r\alpha$$

$$1.85 = X \times 5.23 - \text{shift solve} ==$$

$$r = 0.35$$

$$0.35 \times 2 =$$

$$d = 0.7 \text{ m}$$



# Thank you !

Any questions ? Don't hesitate to ask for our help



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اللهم اعني في دراستي و بارك لي في وقتي و اجعل نهاية جهدي  
فرحاً .. اللهم وفقني و يسر أمري .

لا تنسوني من دعواتكم



عفو

